



Navier-Stokes Clay Institute Millenium Problem Solution

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Abstract: Here is a paper that provides the solution to the Navier-Stokes Clay Institute Problem. The Golden Mean parabola is a solution to this equation. The solution shows that the Navier Stokes Equation is smooth.

1. INTRODUCTION

In three space dimensions and time, given an initial velocity field, there exists a vector velocity and a scalar pressure field, which are both smooth and globally defined, that solve the Navier–Stokes equations.

2. THE NAVIER STOKES EQUATION

$$\text{Rho}[\text{du}/\text{dt} + \mathbf{u} \cdot \nabla \mathbf{u}] = \nabla \cdot \boldsymbol{\sigma} + \mathbf{F}$$

Rho=density

Du/dt=velocity

U=position

Del=gradient

Del sigma=Shear

F=all other forces

[FLUID DYNAMICS AND THE NAVIER-STOKES EQUATION, S DOBEK, 2012]

The solution to this equation is the root of the Golden Mean Equation where the variable is t time.

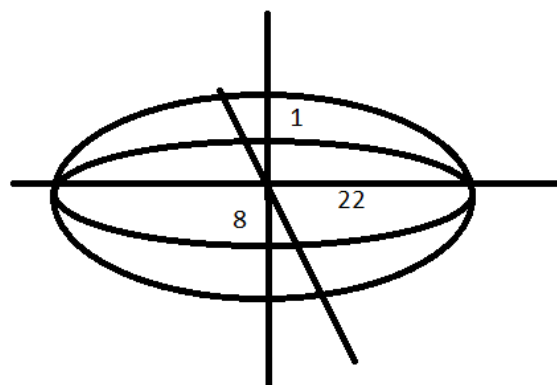
G.M.=1.618

First, let's break down the components as follows.

Density=rho

Rho=M/Volume

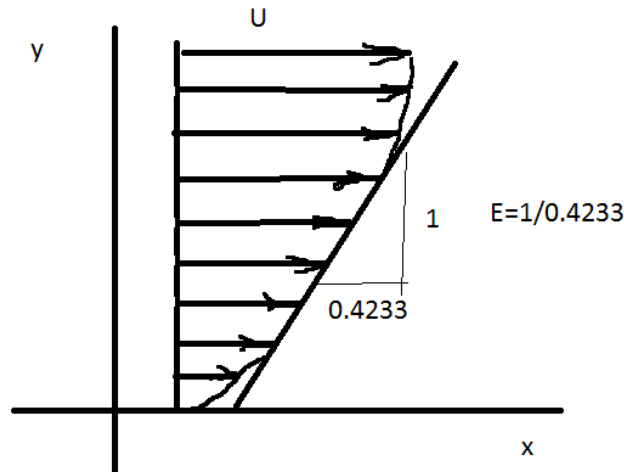
For an ellipsoid with axis 1 x 8 x 22 (or 3 x 24 x 66) has a volume of 19905 and a Surface Area of 1.



Ellipsoid

Mass $M= 1/c^4$

Here is how.



Strain= σ/E

$E=1/0.4233=1/(\pi-e)$

$\lim_{x \rightarrow 0} (\text{strain}) = d \delta / dt$

$D=E * \sigma'$

$=1/0.4233 * (P'/A')$

P is constant

$A'=\text{circumference}=2\pi R$

Let $R=1/2$

$A=(\pi R^2)'=2\pi (R=\pi)$

$\Delta=1/ (0.4233) * P/ \pi$

$P=(2 * s)=(2 * 4/3)=8/3=2.667$

$\Delta=2.022$

$=Y=e^{-t} * \cos t$

$=dM/dt$

$2.02=e^{(-t)}(-\sin t)$

Solving for t:

$\sin t=2 \text{ rads}$

$T=114.59 \text{ degrees}$

Substituting:

$E^{(-2)} (\sin 2)$

$=1/81$

$=1/c^4$

“c” is a fourth order tensor and is also the gradient or “Del”.

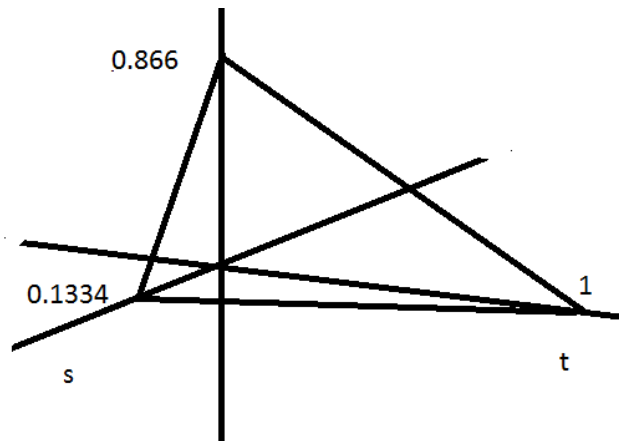
Plane $ax+by+cz=0$

$\sin \theta = c=2.9979293$

$\sin t=3$

T=171 degrees

Sin theta=0.1411 1/ sin theta = M=0.858=Energy=sin 1



$$E=|s||t|\sin \theta$$

Theta=60 degrees for Mohr-Coulomb theory.

$$E=(1.334)(1)\sin 60 \text{ degrees}$$

$$=115.5$$

$$F=\sin \theta=3 \text{ rads}$$

Theta=171 degrees

$$\sin 171 \text{ degrees}=0.1411 \quad 0.858$$

Sigma=E strain

If Surface Area=1

$$F=\sigma$$

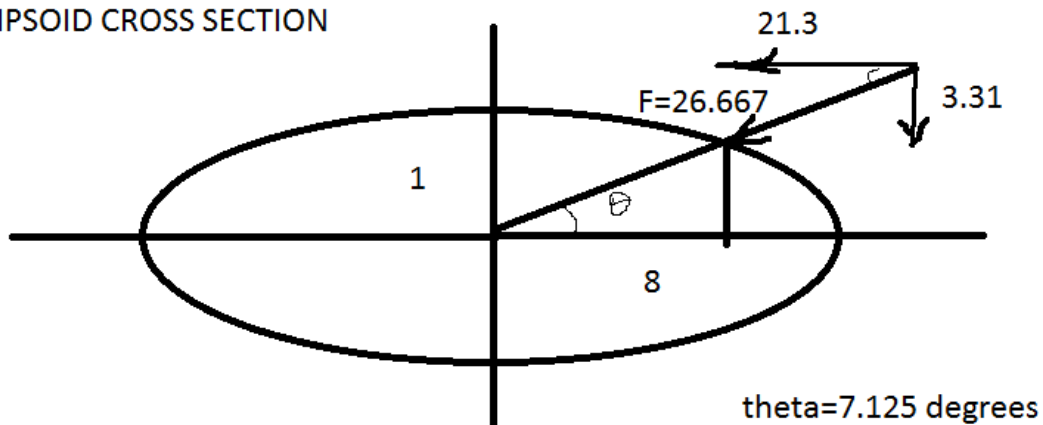
$$F=E \text{ strain}$$

$$0.858=115.5 * \text{strain}$$

$$\text{Strain} = 1$$

Now the Polar Moment of Inertia for the cross section of the ellipsoid:

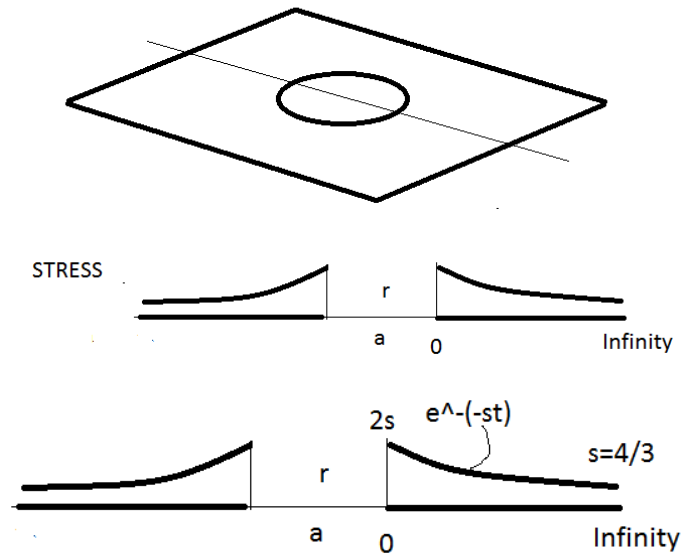
ELLIPSOID CROSS SECTION



$$J=\pi/2*(c2)^4-\pi/2*(c1)^4$$

$$J=\pi/2(13.622)^4-\pi/2*(2668)$$

The universe is 13.622 Billion LY across. The Hole in the middle is a=0.2668 Billion LY across.



$$J=4672$$

Now the Shear component, is is given by the equation

$$\tau_{max} = Tc/J$$

$$\tau_{max} = (0.4233)(3)/4672 \quad [\text{MECHANICS OF MATERIALS, BEER ET AL}]$$

$$= 2.718$$

=base e

Referring to the original equation,, we now have the density, the mass, the gradient, the shear, and $f=0$. All that remains is the acceleration, velocity, and position.

$$\Delta = PL/AE \quad [\text{ibid}]$$

$$\Delta' = (dP/dt)(dL/dt)/(dA/dt)(dE/dt)$$

$$dP/dt = d(\sin \theta) = -\cos \theta$$

$$dL/dt = \text{velocity}$$

$$dA/dt = \text{circumference} = 2\pi(R)$$

$$dE/dt = 1 \quad (\text{Newtonian Fluid})$$

$$\Delta' = \cos \theta / (2\pi(1) * \Delta')$$

$$\cos \theta = 2\pi$$

$$\theta = 1 \text{ rad}$$

Substituting these parameters in to the original equation:

$$s[(1)-(1/s)*c*(1/s)] = \tau_{max}$$

$$s^3 - sc - e = (4/3) - 32.718 = 1.615$$

$$= \ln(1/t) = 1.615$$

where

$$Y = 0.2018 = e^{-t} \cos 1 \quad (\text{dampened cosine curve})$$

$$T_0 - t = 1 - 0.9849 = 0.015 = 1/6.66 = 3/2 \quad (\text{Mass Gap})$$

$$E^{(3/2)} = 4.4824 = \text{Mass}$$

$\ln(1/t)=t$

$\ln y'=y$

The solution to the Navier Stoke's problem is the dampened cosine curve at $t=1$.

In conclusion, the dampened cosine curve is smooth.

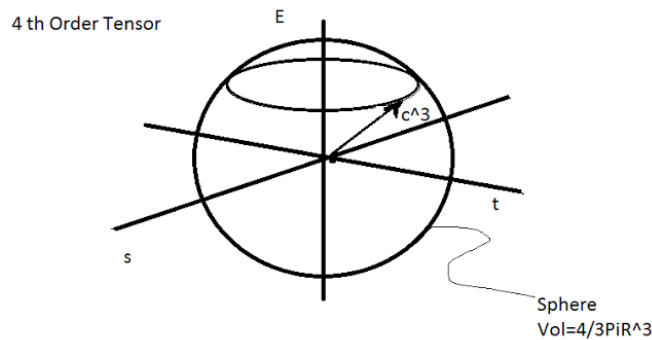
The Density= $\rho = M/\text{Volume}$ is smooth because the Volume of an ellipsoid is smooth. The Mass is smooth because the $M=1/c^4$. C^4 is smooth.

The Velocity du/dt is a parabola so its derivative is smooth. The position u is a scaler. Its derivative is constant.

Δ is the gradient which is c^4 . It s derivative is the volume of a sphere equation. It is smooth.

The Shear Tau max is smooth since it is Torque * c/J . Torque is the force= $\sin \theta$. Its derivative is smooth. C is a constant. Its derivative is a constant. Anfd the Polar Moment of Inertia $\pi/2(c^2-c)^4$. Its derivative is smooth.

So thev Navier Stokes Equation is smooth.



Volume of Sphere= $4/3 \pi (2.9978929)^3 = 112.8$

$c=2.997929$

$\text{Sigma}/E=\text{strain}$

$\text{Sigma}/F/\text{Surface Area}$

$S.A.=1$

$E=1/0.4233=1/cuz$

$\text{strain}=F/E=2.667/1/0.4233=112.8$

This means that the forth order tensor, the speed of light, is as smooth as a sphere. That is why the Navier-stokes Equation is smooth.

REFERENCES

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- [3] VECTORS, TENSORS, AND THE BASIC EQUATIONS OF FLUID MECHANICS, R ARIS, DOVER 1961

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