

## Geometry of Ozone Molecule

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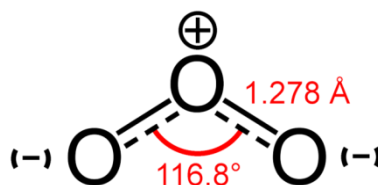
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**Abstract:** Geometry of ozone molecule is discussed.

**Keywords:** Subtle bond, ozone molecule, oxygen atom, exact geometry

### 1. INTRODUCTION

We will pay attention to the geometry of ozone molecule consisting of three oxygen atoms which express two kinds of mutual distance: the shorter from  $O^+$  to  $O^-$  and the longer one from  $O^-$  to  $O^-$  as shown in Figure 1:



**Figure 1.** The ozone molecule

Applying data from reference [1] and taking into account wave restrictions the exact geometry on the double surface should be found with the help of key formulas that relate the length on the elliptic surface  $n$  to the length on the average elliptic-hyperbolic surface  $s(n)$  as follows [2]:

$$s(n) = n \left( 2 - \frac{1}{\sqrt{1 + \frac{\pi^2}{n^2}}} \right). \quad (1)$$

As well as the length on the elliptic surface  $n$  to the length on the hyperbolic surface  $h(n)$  as follows [3]:

$$h(n) = n \left( 2 \sqrt{1 + \frac{\pi^2}{n^2}} - 1 \right). \quad (2)$$

### 2. SUBTLE BONDING BETWEEN OXYGEN ATOM $O^+$ AND OXYGEN ATOM $O^-$ IN OZONE MOLECULE $O_3$

The shorter distance  $d_{O^+O^-}^{measured}$  measured between the oxygen atom  $O^+$  and the oxygen atom  $O^-$  in the ozone molecule  $O_3$  is long  $127.80 \text{ pm} = 52.673 \lambda_e$  [1]. The  $\pi$  times longer orbit of  $s_{O^+O^-}^{measured} = 165,476 \lambda_e$  is close to the geometrically unstable orbit  $s(165.5 \lambda_e) = 165.560 \lambda_e$ . (1) But the doubled value  $2s_{O^+O^-}^{measured} = 330.952 \lambda_e$  is close to the geometrically stable orbit  $s(331 \lambda_e) = 331.015 \lambda_e$  (1). So, it shows that the stable subtle bonding orbit  $O^+O^-$  between oxygen atom  $O^+$  and oxygen atom  $O^-$  in ozone molecule  $O_3$  is formed.

### 3. SUBTLE ANTI-BONDING ORBITS BETWEEN OXYGEN ATOM $O^+$ AND OXYGEN ATOM $O^-$ IN OZONE MOLECULE $O_3$

The stable doubled subtle bonding orbit between oxygen atoms of elliptic length  $2n_{O^+O^-} = 331 \lambda_e$  can be equally divided to two unstable doubled anti-bonding orbits of elliptic length  $2n_{O^+} = 2n_{O^-} = 165.5 \lambda_e$ . But they can bypass the geometric instability by yin yang trick [3] where the electron wave

retreats to an adjacent orbit before annihilating in the native orbit. We just have to take into account that subtle anti-bonding orbits are energetically less favourable than is the bonding orbit so the input of energy is needed for their formation[4]:

$$\Delta E_{forming}^{anti-bonding} = Ry \cdot \alpha^{-1} \left( -\frac{1}{s\left(\frac{n_{O^+O^-}}{2}\right)} + \frac{1}{s\left(\frac{n_{O^-O^-}}{2}\right)} \right). \tag{3a}$$

Where in our case  $n_{O^+O^-} = 165.5 \lambda_e$  is available. Then applying  $Ry = 13.605\ 693\ 009\ eV$  as well as  $\alpha^{-1} = 137.035\ 999\ 146$  and inserting needed data the next result is given:

$$\Delta E_{forming}^{anti-bonding} = 0,0121\ 508\ eV. \tag{3b}$$

Energy 0.012 eV allows permutation of oxygen atoms in ozone.[5]

#### 4. SUBTLE BONDING BETWEEN TWO OXYGEN ATOMS $O^-$ IN OZONE MOLECULE $O_3$

The longer distance  $d_{O^-O^-}^{measured}$  measured between two oxygen atoms  $O^-$  in the ozone molecule  $O_3$  is long  $217.70\ pm = 89.725 \lambda_e$  [1]. The  $\pi$  times longer orbit of  $s_{O^-O^-}^{measured} = 281.879 \lambda_e$  is nearby the geometrically unstable orbits  $(281.5 \lambda_e) = 281.518 \lambda_e$ . (1) And the doubled value  $2s_{O^-O^-}^{measured} = 563,757 \lambda_e$  is also nearby the geometrically unstable orbits  $(563.5 \lambda_e) = 563.509 \lambda_e$ . (1) So, it shows that the stable subtle bonding orbit  $O^-O^-$  between two oxygen atoms  $O^-$  in ozone molecule  $O_3$  is not formed.

#### 5. SUBTLE ANTI-BONDING ORBITS BETWEEN OXYGEN ATOMS $O^-$ IN OZONE MOLECULE $O_3$

The unstable doubled subtle bonding orbit between oxygen atoms of elliptic length  $2n_{O^-O^-} = 563.5 \lambda_e$  can be equally divided to two unstable doubled anti-bonding orbits of elliptic length  $2n_{O^-} = 2n_{O^-} = 281.75 \lambda_e$ . They can bypass the geometric instability by yin yang trick [3] where the electron wave retreats to an adjacent orbit before annihilating in the native orbit. We just have to take into account that subtle anti-bonding orbits are energetically less favourable than is the bonding orbit so the input of energy is needed for their formation[4]:

$$\Delta E_{forming}^{anti-bonding} = Ry \cdot \alpha^{-1} \left( -\frac{1}{s\left(\frac{n_{O^-O^-}}{2}\right)} + \frac{1}{s\left(\frac{n_{O^-O^-}}{2}\right)} \right). \tag{4a}$$

Where in our case  $n_{O^-O^-} = 281.75 \lambda_e$  is available. Then applying  $Ry = 13.605\ 693\ 009\ eV$  as well as  $\alpha^{-1} = 137.035\ 999\ 146$  and inserting needed data the next result is given:

$$\Delta E_{forming}^{anti-bonding} = 0,002\ 466\ 307\ eV = 0,0025\ eV. \tag{4b}$$

The frequency equivalent of the above energy yields 596 GHz and ozone has absorption peaks in this frequency range. [6]

#### 6. THE EXACT GEOMETRY OF OZONE MOLECULE

Respecting present theoretical approach an exact geometry of ozone molecule can be offered on the chosen basis. The results are collected in Table 1.

**Table 1.** Exact values of oxygen orbit lengths and angle between oxygen atoms in ozone molecule on different surfaces

Elliptic orbit length	Average elliptic-hyperbolic orbit length	Hyperbolic orbit length
$n_{O^+O^-} = 165.50 \lambda_e$	$s(n_{O^+O^-}) = 165.529\ 809 \lambda_e$	$h(n_{O^+O^-}) = 165,559\ 630 \lambda_e$
$n_{O^-O^-} = 281.75 \lambda_e$	$s(n_{O^-O^-}) = 281.767\ 513 \lambda_e$	$h(n_{O^-O^-}) = 281,785\ 029 \lambda_e$
Elliptic angle	Average elliptic-hyperbolic angle	Hyperbolic angle
$\varphi_{O^+O^-} = 116,686\ 705^\circ$	$\varphi_{O^+O^-} = 116,664\ 789^\circ$	$\varphi_{O^+O^-} = 116,642\ 877^\circ$

Curved distances are given with the help of equations (1),(2), and angles using cosine rule (5)

$$\cos \varphi_{O^-O^+O^-} = 1 - \frac{1}{2} \left( \frac{(O^-O^-)}{(O^+O^-)} \right)^2. \tag{5}$$

Differences in geometry with respect to the applied surface are noticeable to the second decimal place.

### 7. CONCLUSION

There is no exact geometry in general. As long as two geometries are available we can talk only about exact values on the elliptic or hyperbolic and consequently average elliptic – hyperbolic surface.

### DEDICATION

To ozone as the umbrella of the Earth



**Figure2.** *The umbrella of the Earth*

### REFERENCES

- [1] CCCBDB listing of experimental geometry data page 2 (nist.gov). Retrieved November 2023
- [2] Špringer J. Double Surface and Fine Structure, Progress in Physics, 2013, v. 2, 105-106
- [3] Špringer J. Friction on Double Surface, International Journal of Advanced Research in Physical Science (IJARPS), Volume 4, Issue 3, March 2017, 1-3
- [4] Janez Špringer (2023) “Subtle Anti-bonding Orbits of Methane (Yin Yang Trick) “ International Journal of Advanced Research in Physical Science (IJARPS) 10(11), pp.12-15, 2023
- [5] PPT - Minimum Energy Path for  $O_3 \rightarrow O_2 + O$  PowerPoint Presentation - ID:9198070 (slideserve.com). Retrieved November 2023
- [6] Arnaud Cuisset et al. Terahertz Rotational Spectroscopy of Greenhouse Gases Using Long Interaction Path-Lengths. Applied Sciences, 11(3):1229, January 2021

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